

$$\delta_{træ} := 19 \text{ mm}$$

$$\delta_{al} := 4 \text{ mm}$$

AL består af  $1\text{m}^2$  plader

$$A_{al} := 1 \text{ m}^2$$

$$\alpha_{al.udven} := 15 \frac{\text{W}}{\text{m}^2 \cdot \text{K}}$$

$$\alpha_{træ.indven} := 25 \frac{\text{W}}{\text{m}^2 \cdot \text{K}}$$

$$\lambda_{al} := 250 \frac{\text{W}}{\text{m} \cdot \text{K}}$$

$$\lambda_{træ} := 0.15 \frac{\text{W}}{\text{m} \cdot \text{K}}$$

$$\lambda_{isolation} := 0.04 \frac{\text{W}}{\text{m} \cdot \text{K}}$$

$$t_{fl1} := 253.15 \text{ K}$$

$$t_{fl2} := 298.15 \text{ K}$$

$$t_4 := 296.15 \text{ K}$$

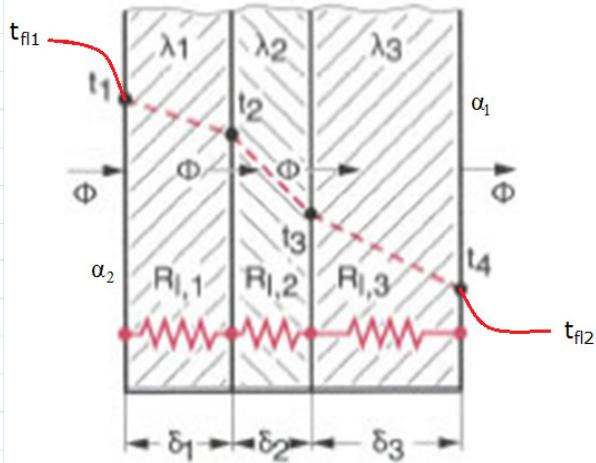
$$\Phi_{konvek.invendig} = \Phi_{ledning} = \Phi_{konvek.udvendig}$$

$$\Phi_{konvek.udvendig} = \alpha_{udv} \cdot A \cdot (t_4 - t_{fl2})$$

$$\Phi_{konvek.udvendig} := \alpha_{al.udven} \cdot A_{al} \cdot (t_{fl2} - t_4) = 30 \text{ W}$$

$$\Phi = U \cdot A \cdot (t_{fl2} - t_{fl1}) \quad \Rightarrow \quad \frac{\Phi}{A \cdot (t_{fl2} - t_{fl1})} = U$$

$$U := \frac{\Phi_{konvek.udvendig}}{A_{al} \cdot (t_{fl2} - t_{fl1})} = 0.667 \frac{\text{W}}{\text{m}^2 \cdot \text{K}}$$



$$U_{varm} = \frac{1}{\frac{1}{\alpha_1} + \sum \frac{\delta}{\lambda} + \frac{1}{\alpha_2}} \quad \Rightarrow$$

$$\delta_{isolation} := 1 \text{ mm}$$

$$U = \frac{1}{\frac{1}{\alpha_{træ.indven}} + \frac{\delta_{al}}{\lambda_{al}} + \frac{\delta_{træ}}{\lambda_{træ}} + \frac{\delta_{isolation}}{\lambda_{isolation}} + \frac{1}{\alpha_{al.udven}}}$$

$$\delta_{isolation} := \text{Find}(\delta_{isolation})$$

$$\delta_{isolation} = 50.666 \text{ mm}$$

$$U := \frac{1}{\frac{1}{\alpha_{træ.indven}} + \frac{\delta_{al}}{\lambda_{al}} + \frac{\delta_{træ}}{\lambda_{træ}} + \frac{\delta_{isolation}}{\lambda_{isolation}} + \frac{1}{\alpha_{al.udven}}} = 50.636 \text{ mm}$$


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This is ter right result, but  
how do I get matcad to  
solve this?????????  
I gave up after 3 hours  
using solveblok and finde  
()....

Everything is known above,  
eksept  $\delta_{isolation}$ . On my

calculatur, this is so easy, so  
way can't I get this right.